

# On discrete properties of monotone mappings

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Let  $h : A \rightarrow A$  and  $\varepsilon$  be a partial order on  $A$ . We deal with properties of oriented graphs which corresponds to the algebra  $(A, h)$  in the case that  $h$  is monotone with respect to  $\varepsilon$ . We derive that every mono-unary algebra except connected one with a cycle of odd length has the property that there exists a non-trivial partial order such that  $(A, h)$  is monotone with respect to it. All mono-unary algebras such that there exists a linear order such that  $h$  is monotone with respect to this order will be described; if the number of components of  $(A, h)$  is infinite, then the number of such orders is equal to the cardinality of the power set of  $A$ .

## References

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- [2] J. Chvalina, O. Kopeček, M. Novotný. *Homomorphic transformations - why and possible ways to how*, Brno, 2012.